



ANSWER BOOK

Mass and weight

Mechanics · Year 12

AQA 3.4.1.1 · CIE 3.1.1, 3.1.6 · OCR A 3.2.1(c)

18 questions · 53 marks

NAVY EDITION

SECTION A · Warm-up

- A1** Mass is the amount of matter in an object, a scalar measured in kilograms (1). [2]
Weight is the gravitational force on it, a vector measured in newtons (1).
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- A2** $W = mg = 5.0 \times 9.81$ (1) [2]
 $W = 49.1 \text{ N}$ (1)
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- A3** A balance compares mass, in kg (1); a newton meter measures force, so it reads weight, in N (1). [2]
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SECTION B · Standard

- B1** Mass is unchanged at 5.0 kg (1) [3]
Weight = $mg = 5.0 \times 1.62$ (1)
Weight = 8.1 N (1)
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- B2** (a) $W = 80 \times 9.81$ (1) [4]
 $W = 784.8 \text{ N}$ (1)
(b) $W = 80 \times 3.70$ (1)
 $W = 296 \text{ N}$ (1)
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- B3** $mg - N = ma$ (1) [4]
 $N = m(g - a) = 60 \times (9.81 - 3.0)$ (1)
 $N = 408.6 \text{ N}$ (1)
This is less than their true weight of 588.6 N, so they feel lighter (1)
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SECTION C · Stretch

- C1** $g = GM/r^2$ (1) [4]
 $GM = 6.67 \times 10^{-11} \times 6.0 \times 10^{24}$ (1)
 $g = GM / (6.4 \times 10^6)^2$ (1)
 $g = 9.77 \text{ N kg}^{-1}$ (1)
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- C2** Acceleration = weight/mass = $mg/m = g$, independent of mass (1). Both objects fall with the same acceleration g (1), so with no air resistance they land together, even though the hammer has far more mass and weight (1). [3]
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- C3** Kilograms measure mass, not weight (1). The object has a mass of 5 kg; its weight is a force of about 49 N on Earth, from $W = mg$ (1). Weight should be quoted in newtons (1). [3]

SECTION A · Warm-up

- A4** $1 \text{ N} = 1 \text{ kg m s}^{-2}$ (from $F = ma$) (1), so $\text{N kg}^{-1} = \text{kg m s}^{-2}/\text{kg} = \text{m s}^{-2}$ (1). [2]
- A5** $m = W/g = 34.3/9.81$ (1) = 3.5 kg (1). [2]
- A6** Vertically downwards, towards the centre of the Earth (1). [1]

SECTION B · Standard

- B4** Her mass is unchanged at 70.0 kg; mass does not depend on location (1). $\Delta W = m\Delta g = 70.0 \times (9.83 - 9.78)$ (1) = 3.5 N increase (1). [3]
- B5** Total mass = $1.9 + 1.6 + 0.850 + 2.3 = 6.65 \text{ kg}$ (850 g converted to 0.850 kg) (1). 6.65 kg is less than 7.0 kg, so the baggage is within the limit (1). $W = mg = 6.65 \times 9.81 = 65 \text{ N}$ (1). [3]
- B6** $m = W/g = 12.0/9.81 = 1.22 \text{ kg}$, the same on Europa (1). Reading = $mg_{\text{Europa}} = 1.22 \times 1.31$ (1) = 1.6 N (1). [3]

SECTION C · Stretch

- C4** $g = W/m = 53.2/6.00$ (1) = 8.87 N kg^{-1} (1). This matches Venus; it is far too large for Mercury or Mars and too small for Earth (1). [3]
- C5** The scales read the normal contact force between the student and the scales, not the weight itself (1). In free fall the student, scales and cabin all accelerate downwards at g (1), so no contact force is needed between the student and the scales and the reading falls to zero (1). The weight is unchanged at mg ; gravity still acts throughout the fall (1). [4]

- C6** A beam balance compares the sample with standard masses (1). Gravity acts [5]
equally on both sides of the balance, so its effect cancels and the balance still
indicates 3.0 kg on the Moon (1). A newton meter measures the gravitational force on
the sample directly, through the extension of its spring (1). On Earth it reads $W = 3.0 \times$
 $9.81 = 29.4$ N, but on the Moon it reads $3.0 \times 1.62 = 4.9$ N, about one sixth as much (1). The
mass is unchanged by the move; only the weight depends on g , and the two
instruments measure different quantities (1).
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